DISCUSSION OF "THE DEMAND FOR GOVERNMENT DEBT"

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Discussed by Zhiyu Fu WashU Olin

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- This discussion: clarifying assumptions behind methodologies

MAIN RESULT 1: WHO ABSORBS THE NEW SUPPLY?

- Estimate the "marginal responses" by each sector:
 - ► The Fang, Hardy, and Lewis (2022) methodology

$$\frac{H_t^{s,j} - H_{t-1}^{s,j}}{D_{t-1}^j} = \alpha^{s,j} + \beta^{s,j} \frac{D_t^j - D_{t-1}^j}{D_{t-1}^j} + \varepsilon_t^{s,j},$$

VARIABLES	(1) CB	(2) ROW	(3) PF	(4) IF	(5) Banks	(6) SLG	(7) MMF	(8) HH	(9) IC	(10) Other
(0.02)	(0.06)	(0.03)	(0.01)	(0.06)	(0.03)	(0.03)	(0.03)	(0.01)	(0.02)	
QE * Pct. Ch. Gov. Debt	0.08**	0.31***	0.15***	0.07***	0.10***	-0.02*	0.06	0.17**	0.02***	0.06***
	(0.04)	(0.05)	(0.06)	(0.01)	(0.02)	(0.01)	(0.06)	(0.07)	(0.00)	(0.01)
Post-Covid * Pct. Ch. Gov. Debt	0.45***	0.07***	0.01	-0.00	0.08***	0.05***	0.35***	-0.10***	0.01***	0.08***
	(0.04)	(0.01)	(0.01)	(0.01)	(0.01)	(0.00)	(0.02)	(0.02)	(0.00)	(0.00)
Observations	283	283	283	283	283	283	283	283	283	283
R-squared	0.39	0.33	0.18	0.13	0.23	0.06	0.42	0.14	0.31	0.18

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• Different from a model-free estimate of the regime-average marginal responses:

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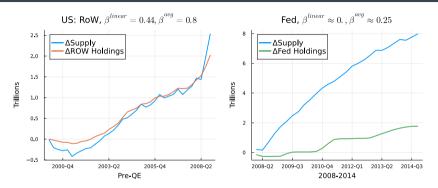
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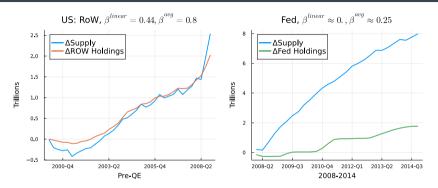
- ► If the linear model holds, two estimates should be close (they mostly are!)
- ▶ When they differ, it informs us the applicability of the linear model

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- Fed: Absorbs 25% of new Treasury issuance between 08-15, but the linear response is close to zero for this sample

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When is the Linear Model Appropriate?

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- When is the linear model useful (and when not)?
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 - e.g., the QT counterfactuals the authors discuss in the later sections
 - Not suitable for long-term debt sustainability analysis

$$\log\left(H_t^s\right) - \log\left(H(0)_t^s\right) = \alpha^s + \beta_1^s \Upsilon_t^8 + \beta_2^{s'} \mathbf{X_t} + t + t^2 + \eta_t^s.$$

• Estimate the demand elasticity β_1^s in:

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- Methodology: Instrumenting Y_t^8 using monetary policy surprises
 - ▶ Potentially issues: monetary policy shock directly affects the latent demand

• Assume the supply is fixed. Consider the following model for demand:

$$\Delta q_{i,t} = -\zeta_i \Delta p_t + \lambda_i \times mp_t + \varepsilon_{i,t},$$

$$\Delta q_{S,t} \equiv \sum S_i \Delta q_{i,t} = 0 \implies \Delta p_t = \frac{1}{\zeta_S} (\lambda_S mp_t + \varepsilon_{S,t})$$

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- ► The estimated aggregate elasticity will always be zero $\sum_i S_i \hat{\zeta}_i = 0$

FAST VS. SLOW MONEY ARGUMENT

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$$\Delta q^F_{i,15min} = -\zeta^F_i \Delta p_{15min} + \lambda^F_i \times mp_{15min}$$

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- But it is a linear transformation of mp_{15min} ! The same critique still applies.
- The correct identification assumption is not that other sectors react *slowly*, but that they do not react $(\lambda_{i,mp} = 0)$.

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- They can be studied under the same framework
- Add inelastic supply to the framework above:

$$\begin{array}{ll} \Delta q_{i,t} & = -\zeta_i \Delta p_t + \varepsilon_{i,t} \\ \Delta p_t & = \frac{1}{\zeta_S} \left(\varepsilon_{S,t} - \boldsymbol{u}_t^{supply} \right) \end{array} \right\} \implies \Delta q_{i,t} = \frac{\zeta_i}{\zeta_S} \boldsymbol{u}_t^{supply} - \frac{\zeta_i}{\zeta_S} \varepsilon_{S,t} + \boldsymbol{u}_{i,t}$$

The marginal absorber exercise can be viewed as a reduced-form regression for the underlying linear demand model.

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- Good job!

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